

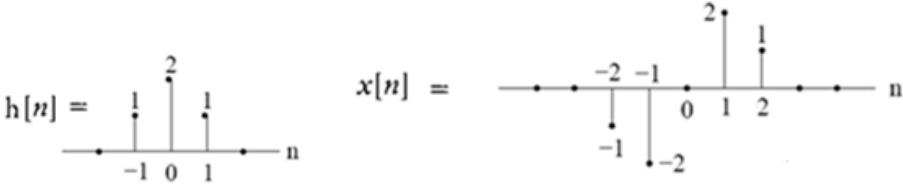


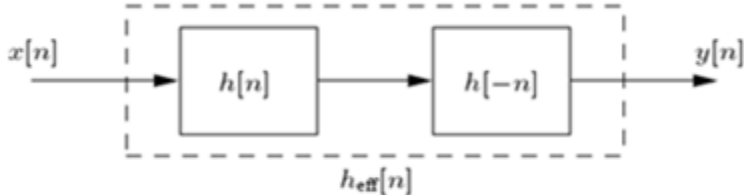
End Semester Examination – Nov/Dec – 2016

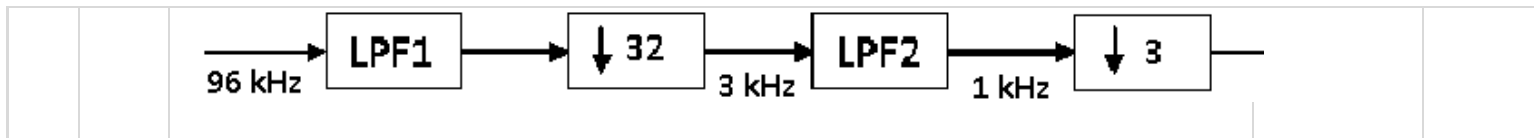
Code : **14EC3072**
 Sub. Name : **Advanced Digital Signal Processing**

Semester : **2016-17 ODD**
 Duration : **3hrs**
 Max. marks : **100**

ANSWER ALL QUESTIONS (5 x 20 = 100 Marks)

Q. No.	Sub Div.	Questions	Course Outcome	Marks
1.	a.	From each of the following input/output relationships, determine whether the corresponding system is linear/non-linear, time in-variant/time variant, causal/non causal. $y(t) = t^2 x(t-1)$ $y[n] = x[n+1] - x[n-1]$ $y[n] = x^2[n-2]$	CO1	10
	b.	Let $g[n]$ and $h[n]$ be even and odd real sequences. Determine if $x[n] = g[n]h[n]$ is even or odd.	CO1	5
	c.	Compare digital signal processing with analog signal processing highlighting the advantages and disadvantages	CO1	5
(OR)				
2.	a.	Evaluate $y[n] = x[n] * h[n]$ $x[n] = \delta[n] - 2\delta[n-1] + \delta[n-2]$, $h[n] = u[n] - u[n-3]$	CO1	10
	b.	Check whether the following signals are energy signal or not. i) $x(t) = e^{-3t} u(t)$ ii) $x(n) = \left(\frac{1}{3}\right)^n u(n)$	CO1	6
	c.	Determine whether $x[n] = 5 \sin[6\pi n/35]$ is periodic, and if it is, find the fundamental period.	CO1	4
3.	a.	The following signals are defined on the interval $n = 0, 1, 2, 3$: $x_1[n] = (1/2)^n$ and $x_2[n] = (-1)^n$. Compute the 4 point circular convolution $y[n] = x_1[n] \otimes x_2[n]$	CO1	10
	b.	Consider two systems described by the following linear constant coefficient difference equations: $y[n] = 0.2y[n-1] + x[n] - 0.3x[n-1] + 0.02x[n-2]$ $y[n] = x[n] - 0.1x[n-1].$ Prove that the two systems are equivalent.	CO1	10
(OR)				
4.	a.	A system has an impulse response $h[n]$ and input $x[n]$ as shown in figure below. 	CO1	10
Determine the response of the system. Is the system causal? Why?				

	b.	<p>a. Prove the following properties of convolution operation</p> <p>i) $x[n] * h[n] = h[n] * x[n]$ (4)</p> <p>ii) $x[n] * \{h_1[n] + h_2[n]\} = x[n] * h_1[n] + x[n] * h_2[n]$ (4)</p> <p>iii) $\{x[n] * h_1[n]\} * h_2[n] = x[n] * \{h_1[n] * h_2[n]\}$ (6)</p>	CO1	10
5.	a.	<p>Consider the system below</p>  <p>where $h[n] = \delta[n] - 2\delta[n-1] - \delta[n-2]$.</p> <p>(i) Find the DFT $H_{eff}[k]$ linking the input x and the output $y[n]$.</p> <p>(ii) Find $h_{eff}[n]$ using IDFT.</p>	CO2	10
	b.	<p>Determine the inverse Z transform of $X(z) = \frac{z+2}{2Z^2-7z+3}$ by partial fraction expansion method if the ROC s are a) $z >3$ b) $z <1/2$ c) $1/2 < z < 3$</p>	CO2	10
(OR)				
6.	a.	Determine the 8 point DFT of the real valued sequence $x[n] = \delta[n-3]$.	CO2	10
	b.	Determine the transfer function and impulse response for the causal LTI system described by the difference equation $y[n] - (1/4)y[n-1] - (3/8)y[n-2] = -x[n] + 2x[n-1]$	CO2	6
	c.	Prove that IDFT can be calculated using DFT algorithm	CO2	4
7.	a.	Design a linear phase High Pass FIR Filter with a cut-off frequency of 0.5π radians/sample using a finite rectangular window of length 9 samples.	CO3	10
	b.	Derive the expression of bilinear transformation and hence deduce the relationship between analog frequency Ω and the digital frequency ω . Also explain the concept of frequency warping.	CO3	10
(OR)				
8.	a.	Obtain the direct form I, direct form II and Cascade realization of the LTI system $H(z) = \frac{1 + 3z^{-1} + 2z^{-2}}{1 + 0.375z^{-1} - 0.09z^{-2} - 0.015z^{-3}}$	CO3	10
	b.	Write the steps to design an FIR filter using frequency sampling technique.	CO3	4
	c.	For the analog transfer function $H(s) = \frac{(s+1)}{(s+2)(s+5)}$, determine $H(z)$ using bilinear transformation. Assume $T=1$ sec.	CO3	6
Compulsory:				
9.	a.	Explain with block diagram the implementation of Audio-Sub band Coding and Decoding system.	CO3	10
	b.	The sampling rate of a signal $x[n]$ is to be reduced, by decimation, from 96 kHz to 1 kHz. The highest frequency of interest after decimation is 450 Hz. Design the specification of filters LPF1 and LPF2 for a two stage decimation as shown in fig. below with an overall pass band ripple of $\delta_p = 0.01$ and stop band deviation $\delta_s = 0.001$.	CO3	10



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